

NONREFLECTING CORNER CONDITIONS FOR 2D TIME-INDEPENDENT SCHRÖDINGER EQUATION

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ABSTRACT

When solving partial differential equations on unbounded domains numerically, we define a bounded computational domain where the solution exhibits meaningful behavior. This truncation requires the artificial boundary condition which should be appropriate for the physical phenomena. Undesired reflection could occur without suitable artificial boundary conditions. For the half plane, this situation is easily remedied. In case of rectangular domain, however, requires additional corner conditions to avoid reflections at the corner. We propose a corner condition to solve a 2D time-independent Schrödinger equation on a rectangular domain.

REFERENCES

1. X. ANTOINE, A. ARNOLD, C. BESSE, M. EHRHARDT and A. SCHÄDLE, “ A review of transparent and artificial boundary conditions techniques for linear and nonlinear Schrödinger equations”, *Commun. Comput. Phys.*, 2008.
2. F. COLLINO, “High order absorbing boundary conditions for wave propagation models: straight line boundary and corner cases”, *Second International Conference on Mathematical and Numerical Aspects of Wave Propagation (Newark, DE, 1993)*, 1993, pp. 161-171.
3. B. ENGQUIST and A. MAJDA, “Absorbing boundary conditions for numerical simulation of waves”, *Proceedings of the National Academy of Sciences*, Vol. 74, 1977, pp. 1765-1766. 1988, pp. 141-155.
4. B. ENGQUIST and A. MAJDA, “Absorbing boundary conditions for numerical simulation of waves”, *American Mathematical Society*, Vol. 31, 1977, pp. 629-651.
5. D. GIVOLI, “High-order local non-reflecting boundary conditions: a review”, *Wave Motion*, Vol. 39, 2004, pp. 319-326.
6. C. A. MOYER, “Numerov extension of transparent boundary conditions for the Schrödinger equation in one dimension”, *American Journal of Physics*, Vol. 72, 2004, pp. 351-358.